

Sea Gyro

Theory on gyroscopic stabilizers

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Theory on the gyroscopic stabilizer

SI Units

Moment of inertia:	kg-m ² (kilogram meters squared)
Angular velocity:	rad/s (radians per second)
Angular momentum:	N-m-s (Newton meter second)
Torque:	N-m (Newton meter)

The primary component of the gyro is a flywheel that has a Moment of Inertia, J , and an angular velocity w_F . The moment of inertia of the flywheel is determined by its mass and the distribution of its mass relative to its shaft. Increasing mass at the flywheel's outside diameter and/or increasing the flywheel's diameter increases its moment of inertia. The Angular Momentum, L , of the flywheel, the product of its moment of inertia and its angular velocity, is a measure of the extent to which the flywheel will continue to rotate about that point unless acted upon by an external torque. The higher the angular momentum the more ability for the flywheel to react to external torques i.e. in our case more ability to cancel boat roll.

A gyroscope has three axes; a spin axis, and input axis, and an output axis. The spin axis is the axis in which the flywheel is spinning and for our gyro the spin axis is horizontal (athwartship). The input axis is the axis on which inputs are applied. In our case, the principal input axis is the longitudinal axis of the boat since that is the axis around which the boat rolls. The principal output axis is the vertical axis about which the gyro rotates or precesses in reaction to an input.

Let's look at numbers on a M70 Gyro system for a 34m motoryacht

Moment of inertia $J = 74.0 \text{ kg-m}^2$ for the flywheel
Angular velocity: $w_F = 250 \text{ rad/s}$ (approx 2,400 rpm)
Angular momentum: $L = J \times w_F = 6.7 \text{ kg-m}^2 \times 1047 \text{ rad/s} = 18,500 \text{ N-m-s}$

When the boat rolls, it acts as an input to the gyro. This input causes the gyro to generate rotation around its output axis such that the spin axis rotates to align itself with the input axis. This output rotation is called precession and in our case the gyro is rotating around the vertical axis.

Dampers are coupled to the gyro's precession axis to act as a brake which controls the gyro precession rate. These dampers are set at commissioning to match the roll characteristics of the vessel.

The maximum output force applied to counteract the boat roll (the input to the gyro) is governed by the following equation:

$$T_o = w_p \times L$$

where T_o = output torque about the gimbal axis (N-m)
 w_p = maximum output rotation rate or precession rate (rad/s)
 L = angular momentum (N-m-s)

Plugging in the numbers for the M70 Gyro system for the vessel with a roll period of 5.4 seconds and a precession angle of 2 radians:

$$w_p = 0.75 \text{ rad/s,}$$

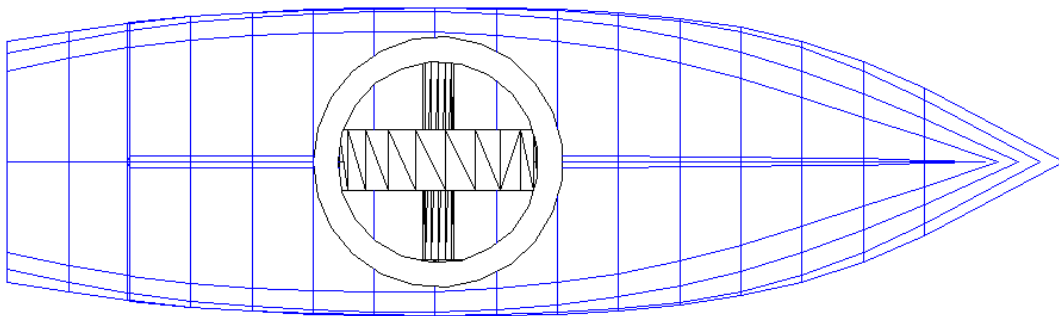
$$L = 18,500 \text{ N-m-s}$$

$$T_o = w_p \times L = 0.75 \text{ rad/s} \times 18,500 \text{ N-m-s} = 13,875 \text{ N-m}$$

At anchor the 34 metre vessel generates 27,000 N-m of torque about the roll axis.

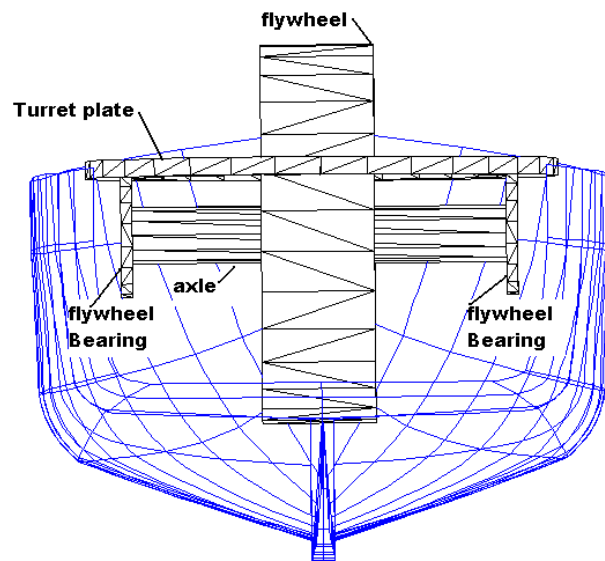
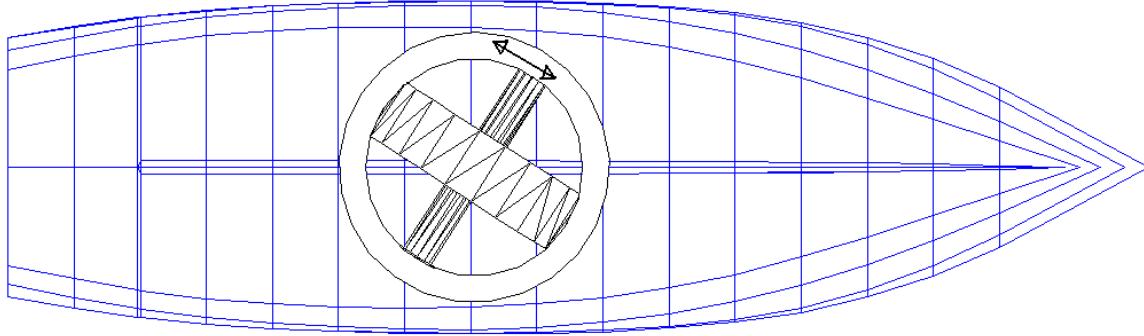
Therefore it would require two M70s to control this rolling torque $2 \times 13,875 = 27,750 \text{ N-m}$

This output axis torque is coupled back into the boat's hull to counteract the roll of the boat.

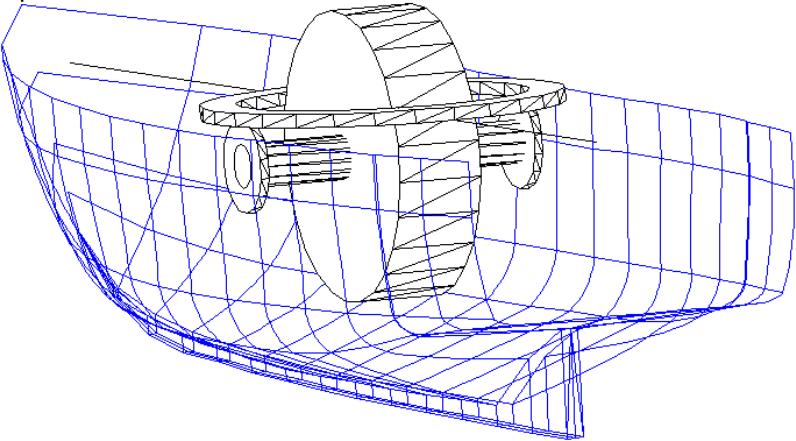


**Plan view of gyroscope
with horizontal turret plate**

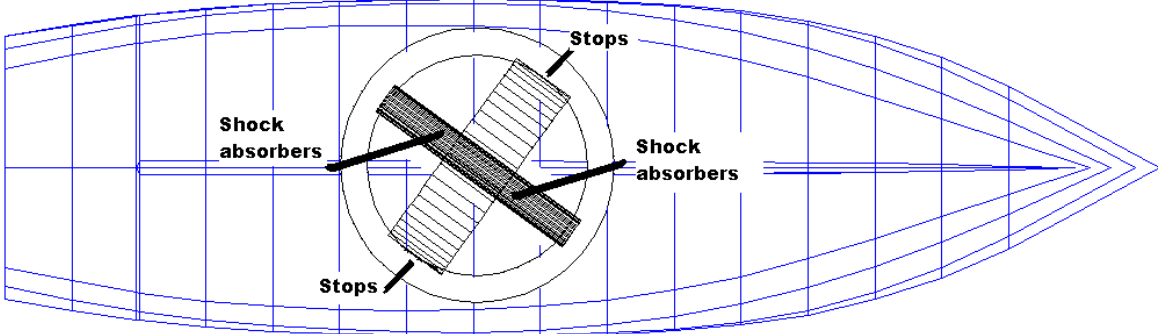
**Precession of the gyroscope
about the verticle axis**



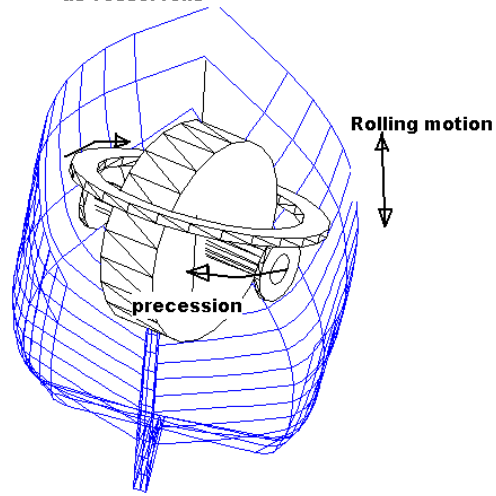
Normal alignment of horizontally spun gyroscope



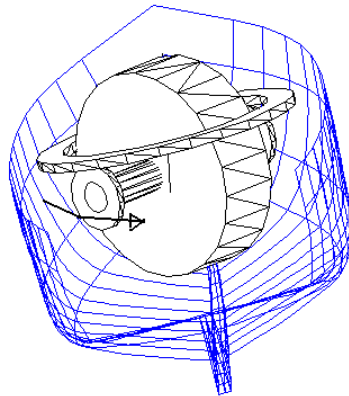
Precession limit of travel controlled by stops and shock absorber



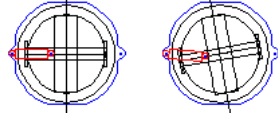
**Precession action
as vessel rolls**



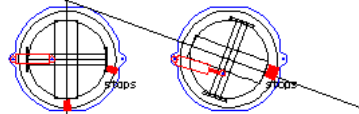
**Precession of gyro as
vessel rolls back**



Non-linear breaking



small angles of precession giving minimum damper travel and little lever arm, thus little precession breaking and maximum gyroscopic effect



large angles of precession giving maximum damper travel and maximum lever arm, thus maximum precession breaking and reduced gyroscopic effect. Therefore minimum impact on limiting stops

